

es-pstar-q^{11,40}

$$\begin{aligned}
 [e_1; e_2] &\sim ([a, b]. p(a; b)) * [a, b]. q(a; b) \\
 \equiv_{\text{def}} \exists m: \mathbb{N}^+ \quad & \exists f: \text{int_seg}(0; m) \rightarrow \{e: \text{es-E}(es) \mid \text{loc}(e) = \text{loc}(e_1)\} \\
 & (((f(0) = e_1) \wedge \text{es-le}(es; (f(m - 1)); e_2)) \\
 & \wedge ((\forall i: \text{int_seg}(0; (m - 1)). \text{es-loc}(es; (f(i)); (f(i + 1)))) \\
 & \wedge (\forall i: \text{int_seg}(0; (m - 1)). p(f(i); \text{es-pred}(es; (f(i + 1)))))) \\
 & \wedge q(f(m - 1); e_2))
 \end{aligned}$$

clarification:

$$\begin{aligned}
 \text{es-pstar-q}(es; a, b. p(a; b); a, b. q(a; b); e_1; e_2) \\
 \equiv_{\text{def}} \exists m: \mathbb{N}^+ \quad & \exists f: \text{int_seg}(0; m) \rightarrow \{e: \text{es-E}(es) \mid \text{es-loc}(es; e) = \text{es-loc}(es; e_1) \in \text{Id}\} \\
 & (((f(0) = e_1 \in \text{es-E}(es)) \wedge \text{es-le}(es; (f(m - 1)); e_2)) \\
 & \wedge ((\forall i: \text{int_seg}(0; (m - 1)). \text{es-loc}(es; (f(i)); (f(i + 1)))) \\
 & \wedge (\forall i: \text{int_seg}(0; (m - 1)). p(f(i); \text{es-pred}(es; (f(i + 1)))))) \\
 & \wedge q(f(m - 1); e_2))
 \end{aligned}$$